$B_{d,s} \rightarrow \mu^{+} \mu^{-} \gamma$ phenomenology

- overview -

Diego Guadagnoli CNRS, LAPTh Annecy

A novel, short-term way to cross-check the existing tensions ("anomalies") in $b \rightarrow s \mu\mu$ data



D. Guadagnoli, BFA V, Siegen, April 9-11, 2024



• The additional photon lifts chirality suppression

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- $B_s \rightarrow \ell \ell \gamma$ offers sensitivity to larger set of EFT couplings than $B_s \rightarrow \ell \ell$. Plus, it probes them at high q^2
- With Run 3 (\Box hopefully comparable e and μ efficiencies), $B_s \rightarrow ee \gamma$ no more science fiction

$$B_s \rightarrow \mu \mu \gamma$$
 from $B_s \rightarrow \mu \mu$



[Dettori, DG, Reboud, 2017]

Basic Idea Extract $B_s \rightarrow \mu\mu\gamma$ from $B_s \rightarrow \mu\mu$ event sample, by enlarging $m_{\mu\mu}$ below B_s peak

$B_s \rightarrow \mu\mu\gamma$: "indirect" method

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Approach merges the advantages of both decays:

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- Exploits rich and ever increasing $B_s \rightarrow \mu\mu$ dataset
- ... to access $B_s \rightarrow \mu\mu\gamma$, that probes any $\mu\mu$ "anomaly"
 - more thoroughly (more EFT couplings)
 - in a different, not well tested, q² region
 - with a completely different exp approach



[thanks F. Dettori]

Pros (besides those already stated)

• No need to reconstruct the γ (factor-of-20 loss in efficiency)

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- Calibration not trivial no "analogous" channel

Backgrounds

[thanks F. Dettori]

[LHCb-PAPER-2021-007] [LHCb-PAPER-2021-008





Results Candidates / (27.5 MeV/ c^2) Data LHCb Total 9 fb⁻¹ $B_s^0 \rightarrow \mu^+ \mu^-$ BDT ≥ 0.5 $B^0 \rightarrow \mu^+ \mu^-$ 30 $- B_s^0 \rightarrow \mu^+ \mu^- \gamma$ $\cdots B \rightarrow h^+ h^{-}$ 20 $\cdots X_{h} \rightarrow h \mu \nu_{\mu}$

10

0 5500 5000 6000 $m_{\mu^+\mu^-}$ [MeV/ c^2] $\mathcal{B}(B_s^0 \to \mu^+ \mu^-) = \left(3.09 \,{}^{+\,0.46}_{-\,0.43} \,{}^{+\,0.15}_{-\,0.11}\right) \times 10^{-9}$ $\mathcal{B}(B^0 \to \mu^+ \mu^-) = (1.2^{+0.8}_{-0.7} \pm 0.1) \times 10^{-10} < 2.6 \times 10^{-10}$ $\mathcal{B}(B_s^0 \to \mu^+ \mu^- \gamma)_{m_{\mu\mu} > 4.9 \,\text{GeV}} = (-2.5 \pm 1.4 \pm 0.8) \times 10^{-9} < 2.0 \times 10^{-9}$

No significant signal for $B^0 \to \mu^+ \mu^-$ and $B^0_s \to \mu^+ \mu^- \gamma$, upper limits at 95% First world limit on $B_s^0 \to \mu^+ \mu^- \gamma$ decay

 $\cdots B^{0(+)} \rightarrow \pi^{0(+)} \mu^+ \mu^-$

----- Combinatorial

[thanks F. Dettori]

The elephant in the room (FFs)

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Novel ideas & applications, both at low q^2 (large E_y) and high q^2 (small E_y)

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Small E_{γ}

[RM123, '15] [1st application (K₁₂), RM123, '17]

Novel method to define an IR-safe LQCD correlator

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FFs at low q^2

within factorization



[Beneke-Bobeth-Wang, '20]

For low q² ≤ 6 GeV, B_s → y^{*} f.f.'s can be calculated in a systematic expansion in 1/m_b, 1/E_y

$B_s \rightarrow \mu\mu\gamma$ with energetic γ

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- For low $q^2 \le 6$ GeV, $B_s \to \gamma^*$ f.f.'s can be calculated in a systematic expansion in $1/m_b$, $1/E_{\gamma}$
- In particular
 - LP (\triangleleft expressible in terms of B-meson LCDA λ_B) + O(α_s) corr's

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- In particular
 - LP (\triangleleft expressible in terms of B-meson LCDA λ_B) + O(α_s) corr's
 - local NLP








[Beneke-Bobeth-Wang, '20]

- Dominant parametric error, $^{+70\%}_{-30\%}$, from λ_B (as expected)
- Also continuum contribution gives large error (± 35-45%)

Bottom line

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- Large NLP + small phase space available + large λ_B dependence challenge a precise $B_s \rightarrow \mu \overline{\mu} \gamma$ prediction at low q^2
- Prediction

 $\langle \mathcal{B} \rangle_{[4m^2_{\mu}, \, 6.0]} = \left(12.51^{+3.83}_{-1.93}
ight) \cdot 10^{-9}, \quad \langle \mathcal{B} \rangle_{[2.0, \, 6.0]} = \left(0.30^{+0.25}_{-0.14}
ight) \cdot 10^{-9}$

i.e. ϕ region gives 97.6% of the BR





FFs at high q²

A phenomenological approach using LQCD and heavy-quark symmetry



[DG, Normand, Simula, Vittorio, '23]

① Use available $D_s \rightarrow \gamma$ LQCD data (directly computed in very range of interest)





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- ① Use available $D_s \rightarrow \gamma$ LQCD data (directly computed in very range of interest)
- **②** Frame these data within vector meson dominance
- **3** Such description obeys well-defined heavy-quark scaling
 - \Box

Scale up from the D_s to the B_s



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- Scale up from the D_s to the B_s
- Validate as much as possible

$\bigcirc \quad \textbf{Use } D_s \rightarrow \gamma \ LQCD \ data$

Our region of interest is high $q^2 \in [4.2, 5.0]^2 \text{ GeV}^2$ In precisely this region, LQCD has directly computed $D_s \rightarrow \gamma$ FFs **1** Use $D_s \rightarrow \gamma$ LQCD data

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• High q² means low $x_{\gamma} \equiv 1 - q^2 / m_{Ds}^2$

 $q^2 \in [4.2, 5.0]^2 \text{ GeV}^2$ $x_{\gamma} \in [0.39, 0.13]$





Frame LQCD data within Vector Meson Dominance
High q² means small E,
The nearest vector- (or axial-)meson dominates
[Becirevic, Haas, Kou, '09]
$$\langle \gamma | \bar{s} \gamma_{\mu} b | \bar{B}_s \rangle \simeq \sum_{\lambda} \frac{\langle 0 | \bar{s} \gamma_{\mu} b | B_s^*(\varepsilon_{\lambda}) \rangle \langle B_s^*(\varepsilon_{\lambda}) | B_s \gamma \rangle}{q^2 - m_{B_s}^2}$$







VMD: fit ansaetze

(2)

FFs are described as a sum of poles + cuts Description useful if one or two terms dominate

Try minimal fit ansaetze. See if coherent picture emerges.



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- PE fit One phys & one eff pole



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- f.f. uncertainty, even if still large, in principle "reducible"
- Maybe worthwhile to look for more observables with such properties




$$\begin{aligned} \textbf{Example: the } \textbf{B}_{s} \rightarrow \mu\mu\gamma \ \textbf{effective lifetime} \\ \text{[Carvunis et al., '21]} \end{aligned}$$

$$& \textbf{Natural exp observable: untagged rate} \\ \hline \langle \Gamma(B_{s}(t) \rightarrow f) \rangle \equiv \Gamma(B_{s}^{0}(t) \rightarrow f) + \Gamma(\bar{B}_{s}^{0}(t) \rightarrow f) \\ \text{Recalling the time dependence of the |amplitudes|}^{2} \end{aligned}$$

$$& |\vec{A}_{f}(t)|^{2} = \frac{e^{-\Gamma_{s}t}}{2} \Big[\Big(|A_{f}|^{2} + |q/p|^{2} |\bar{A}_{f}|^{2} \Big) \cosh(\Delta\Gamma_{s}t/2) \pm \Big(|A_{f}|^{2} - |q/p|^{2} |\bar{A}_{f}|^{2} \Big) \cos(\Delta M_{s}t) \\ & - 2 \operatorname{Re} \Big(q/p \, \bar{A}_{f} A_{f}^{*} \Big) \sinh(\Delta\Gamma_{s}t/2) \mp 2 \operatorname{Im} \Big(q/p \, \bar{A}_{f} A_{f}^{*} \Big) \sin(\Delta M_{s}t) \end{aligned}$$

$$& \textbf{yields the following quantity sensitive to new CPV} \\ \hline A_{\Delta\Gamma_{s}}^{t} = \frac{-2 \int_{\mathrm{PS}} \operatorname{Re} \Big(q/p \, \bar{A}_{f} A_{f}^{*} \Big) \\ & \int_{\mathrm{PS}} \Big(|A_{f}|^{2} + |q/p|^{2} |\bar{A}_{f}|^{2} \Big) \end{aligned}$$

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$$\textbf{A}_{Atr} \text{ can be extracted from (an accurate measurement of) the effective lifetime} \end{cases}$$



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Conclusions

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- It's now measurable from $B_s \rightarrow \mu\mu$ for high q^2
- High q² offers several TH advantages
 - Probes in complementary kin. region the tensions reported in semi-lep BRs

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 - Test is strong, given the very different underlying exp method
 - Preferred region for lattice QCD



Impact of broad $c\overline{c}$

[Carvunis et al., '21]

• Parameterize the effect most generally (e.g. discussion in [Lyon, Zwicky, '14])

$$C_9 \rightarrow C_9 - \frac{9\pi}{\alpha^2} \bar{C} \sum_V |\eta_V| e^{i\delta_V} \frac{\hat{m}_V \mathcal{B}(V \rightarrow \mu^+ \mu^-) \hat{\Gamma}_{tot}^V}{\hat{q}^2 - \hat{m}_V^2 + i\hat{m}_V \hat{\Gamma}_{tot}^V}$$

- $|\eta_V| \in [1, 3] \& \delta_V \in [0, 2\pi)$ (uniformly and independently for the 5 resonances)

- for $S_{min} \in [0.5, 0.7] m_{Bs}^2$
- for all TH scenarios

$$S_{\psi(2S), \psi(3770), \psi(4040), \psi(4160), \psi(4415)} = \{0.47, 0.49, 0.57, 0.61, 0.68\}$$







[Carvunis et al., '21]

• Bottom line: broad $c\bar{c}$ has surprisingly small impact on $A_{\Delta\Gamma}$

But broad-cc shift to C_9 typically O(5%) – and with random phase



Far from obvious why such a small impact on $A_{\Delta\Gamma}$

- Closer look (App. D for an analytic understanding)
 Cancellation is a conspiracy between
 - Complete dominance of contributions quadratic in C₉ and C₁₀
 - Multiplying f.f.'s $F_V, F_A \in \mathbb{R}$
 - Broad $c\bar{c}$ can be treated as small modif. of (numerically large) C_9

Ease cancellations between num & den in $A_{\Delta\Gamma}$

Radiative leptonic FFs in LQCD

Large E_{γ}

 The required correlator (weak & e.m. current insertion between a B and the vac) has always the desired large-Euclidean-t behavior

[Kane, Lehner, Meinel, Soni, '19]

Note that this is non-trivial - e.g. it doesn't seem to hold if there are hadronic final states

 However, the low-q² spectrum is dominated by resonant contributions (~98% of the BR), that LQCD is unable to capture









[Beneke-Bobeth-Wang, '20]

local

- Three sources
 - coupling of γ to b quark
 - power corr's to SCET, correlator at tree level
 - annihilation-type insertions of 4q operators



- Two soft FFs
 - $\xi(E_{\gamma})$: computable as in $B_u \rightarrow \ell \vee \gamma$ [Beneke-Rohrwild, '11]
 - For B-type contributions: $\tilde{\xi}(E_y)$ Its Im develops resonances, thus escaping a factorization description

Resonances

[Beneke-Bobeth-Wang, '20]

- $T_{7B}^{\mu\nu}$ leads to \overline{A}_{res}
 - standard spectral repr. (à la BW)
 - formally power-suppressed

hence inclusion won't lead to double counting of some short-distance contributions



 $B_{\xi} \rightarrow \mu\mu\gamma$ spectrum

Then main focus on large-q² region, above narrow charmonium.
 Broad-charmonium pollution estimated with similar resonant ansatz





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