

Non-leptonic B anomalies - a view from the top

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Durham
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Quirks in Quark Flavour Physics 2024
21 June 2024

(based on 240?.xxxxx with Tetlalmatzi Xolocotzi, Englert, Atkinson)

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Non-lep

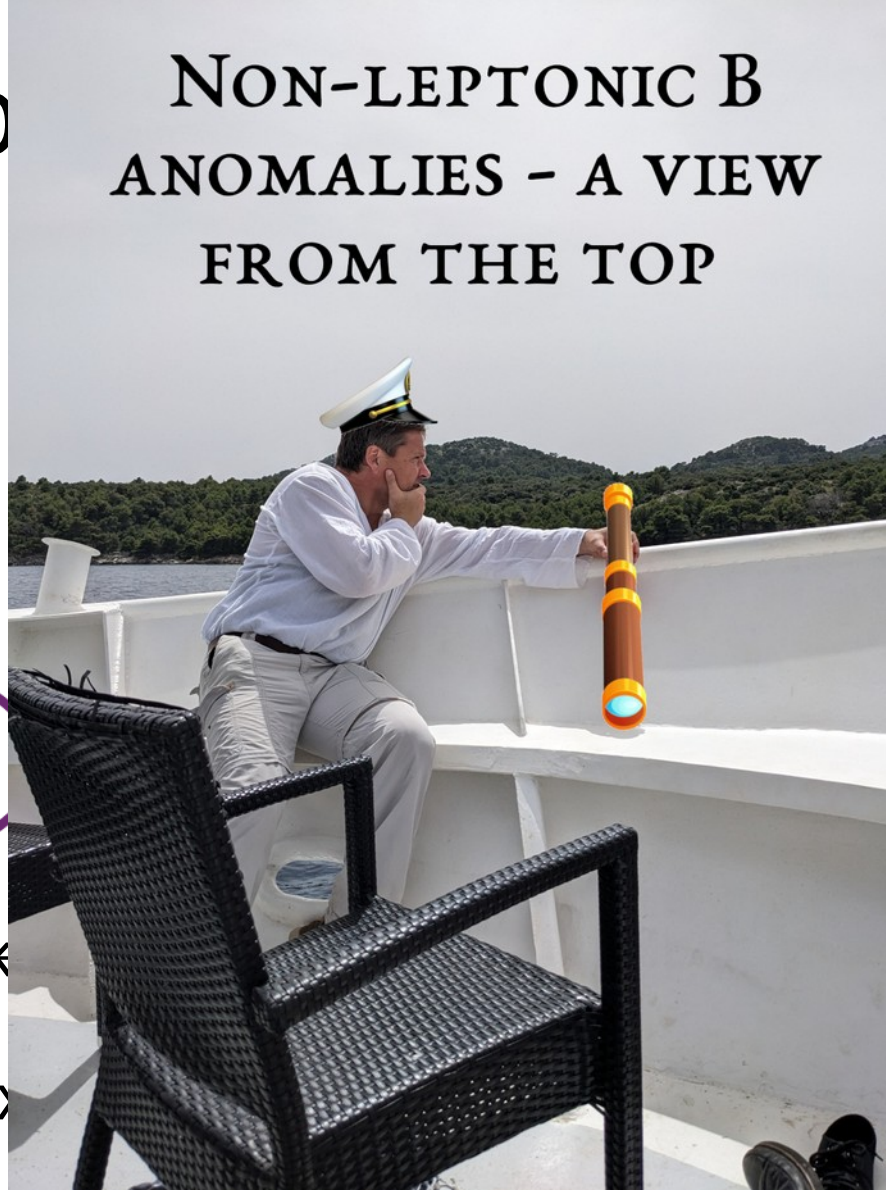
NON-LEPTONIC B
ANOMALIES - A VIEW
FROM THE TOP

s - a view



Quirk

(based on 240?..)



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s 2024

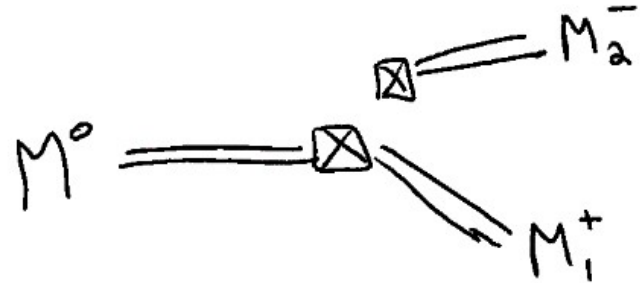
Englert, Atkinson)

Non-leptonic physics

- Fully non-leptonic decays? Sounds nasty!
- Generally anomalies are in observables where:
 - a) It is clear we understand the physics
 - or
 - b) or the bits we don't cancel out
 - i.e. "Optimised observables", "ratios", ...

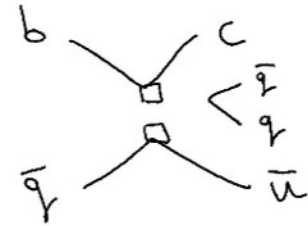
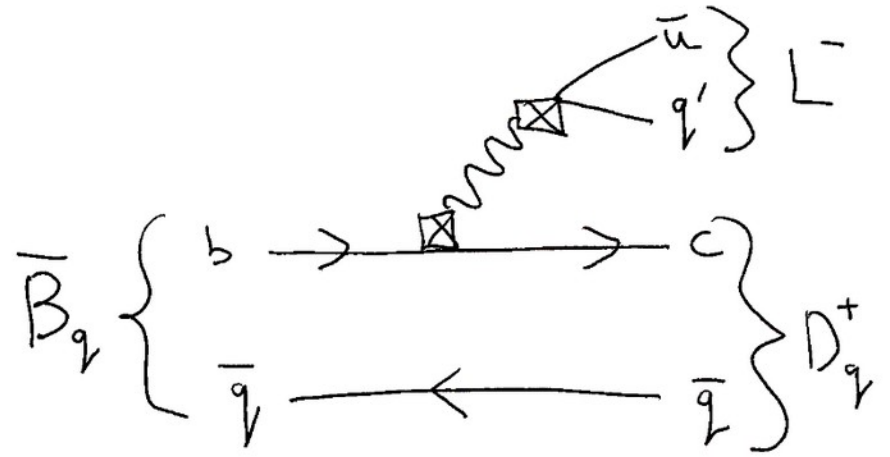
Class I non-leptonic decays

- $M^0 \rightarrow M^+ M^-$
 - No annihilation topologies
- QCD factorisation should work decently



$$B_{(s)} \rightarrow D_{(s)}^{(*)} \{ \pi, K^{(*)}, \rho \}$$

- $M^0 \rightarrow M^+ M^-$
 - Annihilation topologies power suppressed (if present)
- $b \rightarrow c \bar{u} \{d, s\}$
- QCD factorisation should work decently



$$\bar{B}^0 \rightarrow D^+ K^-$$

- $\mathcal{M}(\bar{B} \rightarrow D^+ K^-) \propto V_{cb} f_K f_0^{B \rightarrow D} (M_K^2) a_1^{\text{eff}} + \mathcal{O}\left(\frac{\Lambda}{m_b}\right)$
- V_{cb}
- Decay constants
- Form factors
- WC a_1
- Power corrections

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- V_{cb} : Inclusive vs exclusive $\sim 5\%$ PDG review
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- Form factors: $1-2\%$ unc. Bordone, Gubernari, Jung, van Dyk
- WC a_1 : NNLO, 1% unc. Huber, Kränkl, Li
- Power corrections: $\sim \text{few } \%$

Make a ratio

- We normalise by semi-leptonic decays to remove V_{cb} dependence, and reduce form factor dependence
 - Known since Bjorken

Topics in B Physics, 4th Workshop on
Recent Developments in High-energy
Physics

ic decays. An easy calculation gives¹⁵

$$\frac{\Gamma(\Lambda_b \rightarrow p\pi^-)}{\frac{d\Gamma}{dM^2}(\Lambda_b \rightarrow pe^-\nu_e)_{M^2=0}} = 6\pi^2 F_\pi^2 \approx 1.0 \text{ GeV}^2$$

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15. I am told this is in the folklore but do not know a good 14 reference.

Make a ratio

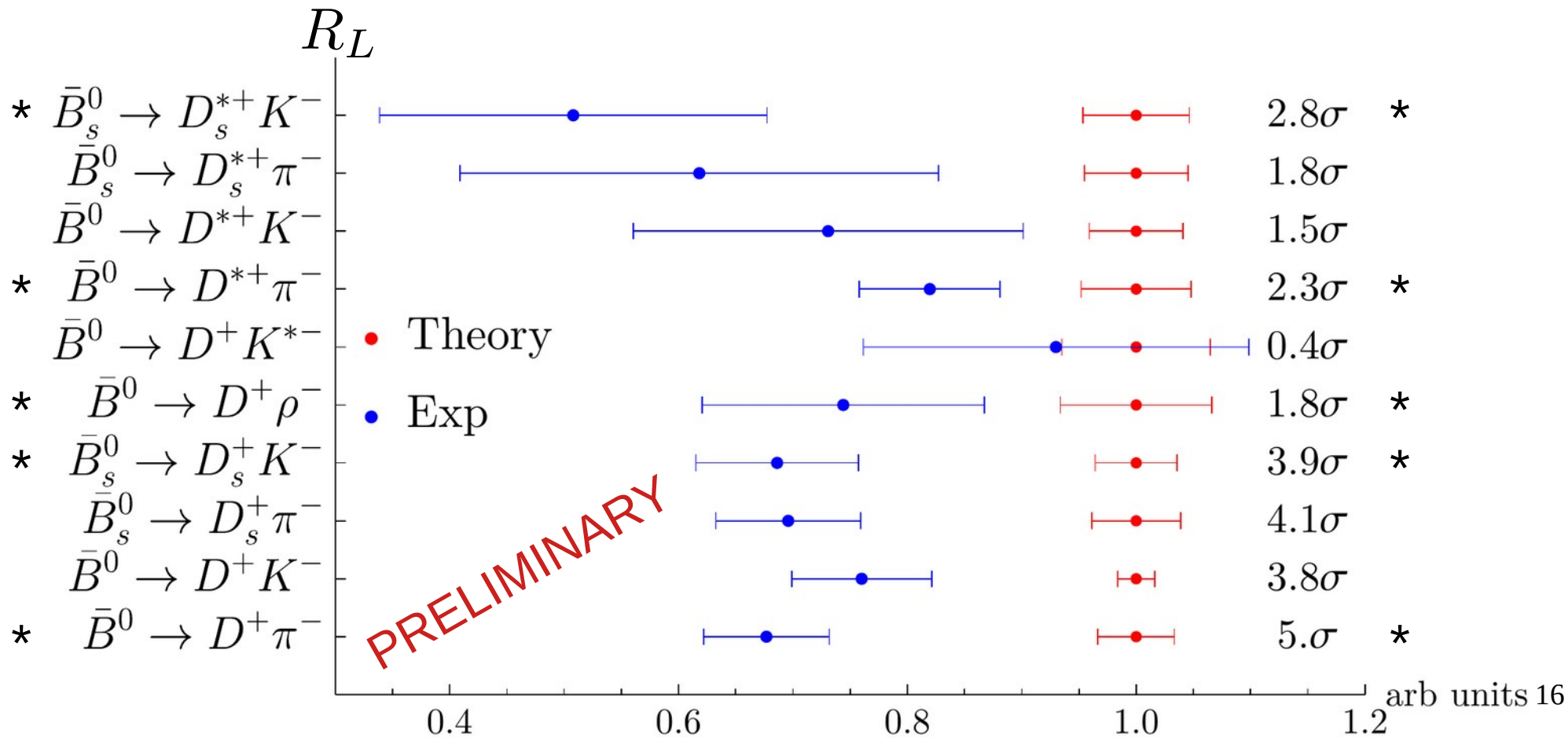
- We normalise by semi-leptonic decays to remove V_{cb} dependence, and reduce form factor dependence

$$R_L = \frac{\mathcal{B}(B \rightarrow D^+ L^-)}{d\Gamma(B \rightarrow D^+ \ell^- \nu)/dq^2|_{q^2=M_L^2}} = 6\pi^2 |V_{uq}|^2 f_L^2 |a_1^{\text{eff}}|^2 X_L$$

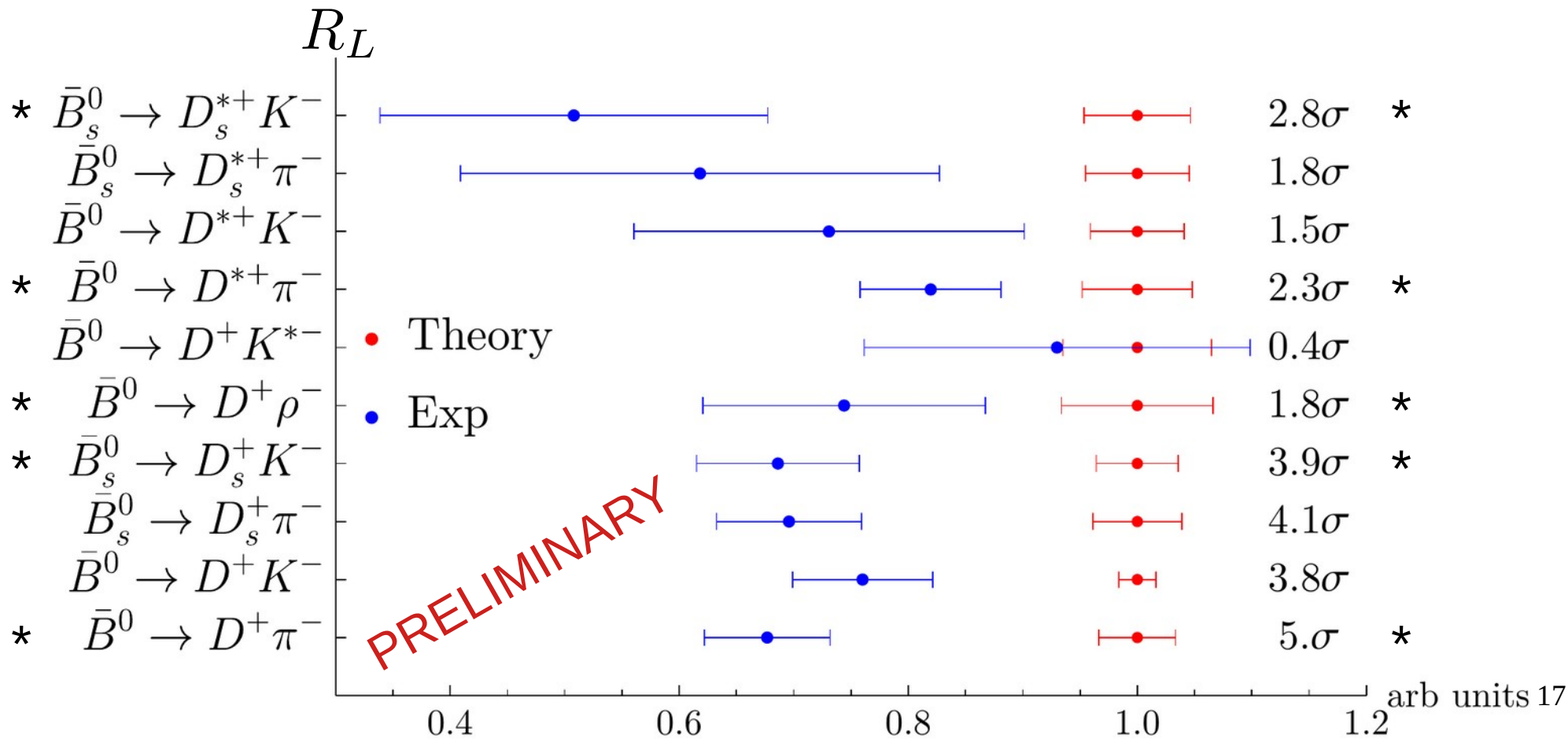
form factor ratio



Non-leptonic anomalies



Non-leptonic ~~anomalies~~ quirks



Could BSM be responsible?

- In Cai, Deng, Li, Yang ([2103.04138](#)) they analysed data with low energy Lagrangian
 - Found potential explanation from 3 operator structures, including $\gamma^\mu P_L \otimes \gamma_\mu P_L$
 - But assumed particular flavour structure
 - Shared coefficients between $b \rightarrow c\bar{u}d$ and $b \rightarrow c\bar{u}s$

Could BSM be responsible?

- First, we want to do a more general analysis, using SMEFT
 - If left-handed => link to top physics
- To build up to a study of UV models

Top bounds

- Recent LHC measurements of top physics are reaching percent level precision
 - **ATLAS 2023**: $\sigma(tt\bar{t})$ @1.8% (140 fb^{-1} , $\sqrt{s} = 13 \text{ TeV}$)
- Top decay width known at 10% precision from **CMS 2017** (20 fb^{-1} , $\sqrt{s} = 8 \text{ TeV}$)

Top bounds

- What can we learn from this?
- Enough to compete against flavour?

Top bounds

- Use SMEFTsim + MadGraph to simulate (LO) cross-section in BSM scenarios
 - Rescale to match NNLO+NNLL SM
- In the future, aim is to study differential distributions and include SMEFT $\text{dim}6^2$ and $\text{dim}8$ effects

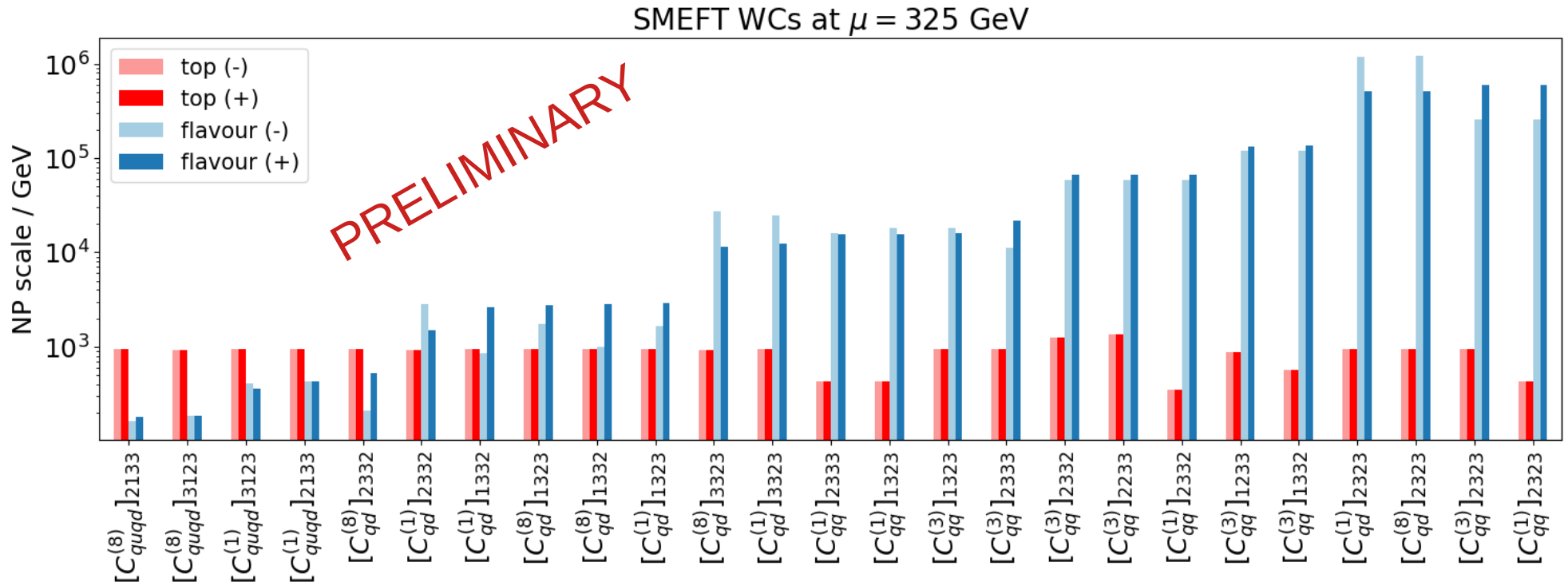
Top bounds

- Compare to ATLAS measurement to constraint SMEFT WCs
- As a comparison, we use smelli global fit (includes >500 observables)
 - Fit to our WCs dominated by quark physics

Top bounds

- Compare to ATLAS measurement to constraint SMEFT WCs
- As a comparison, we use smelli global fit
- Convert WC range $\frac{-x}{\text{GeV}^2} \leq C \leq \frac{y}{\text{GeV}^2}$ to hypothetical NP scale $\Lambda \geq \Lambda_{\pm} = 1/\sqrt{x, y}$

Top bounds on top?



Top bounds on top?

- In half of cases flavour is much stronger
- But for many coefficients, only stronger by factor of a few
- And for a handful, top comes out on top – tells us more than flavour right now!

Running down from the top (scale)

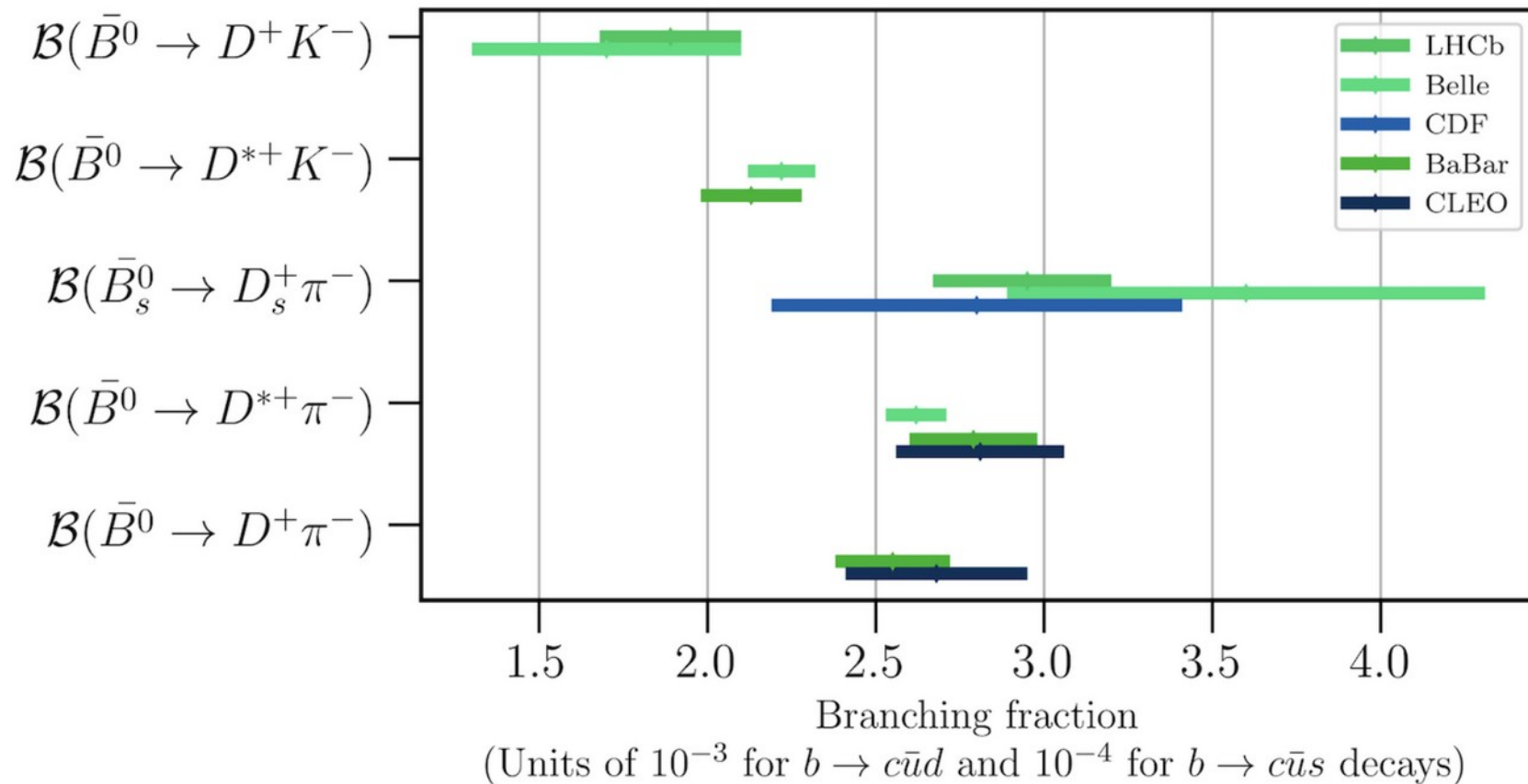
- Take our analysis of non-leptonic physics
- Run SMEFT coefficients down to see what high scale NP could generate $b \rightarrow c\bar{u}q$ at low energy
- Current work in progress:
 - Check one/two at a time coefficient bounds
 - Multi-particle NP

Summary

- Large tensions in non-leptonic decays still has no good non (B)SM explanation
- If high scale BSM, then could show up in top physics @ LHC, and LHC starting to have enough data to give useful constraints
- Ongoing: use SMEFT to connect to other low energy sectors and study UV models

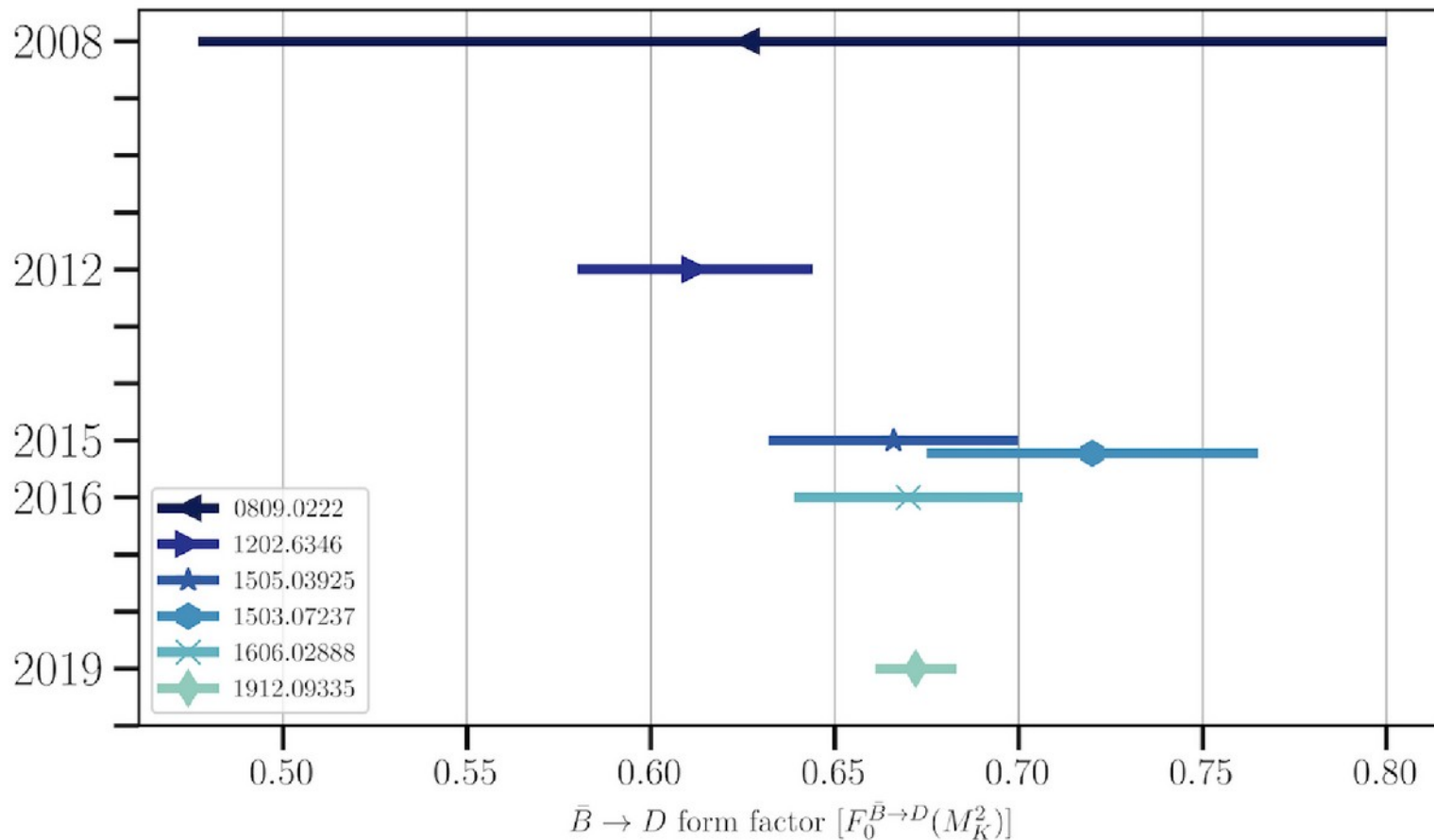
BACKUP

Exp error?



Piscopo, BFA V

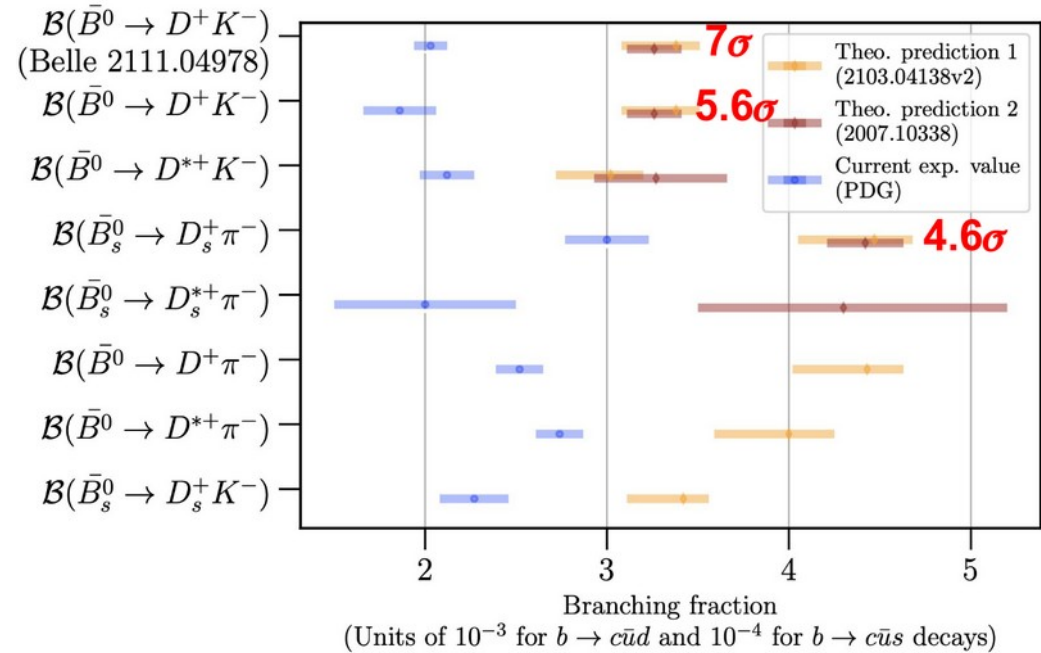
Progress on form factors



Piscopo, BFA V

Non-leptonic ~~anomalies~~ quirks

- From 2020 calculations showed serious discrepancy between theory and experiment



Nicole Skidmore (Status and Prospects of non-leptonic B meson decays, Siegen 2022)